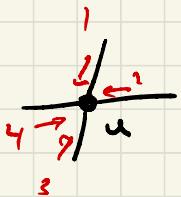
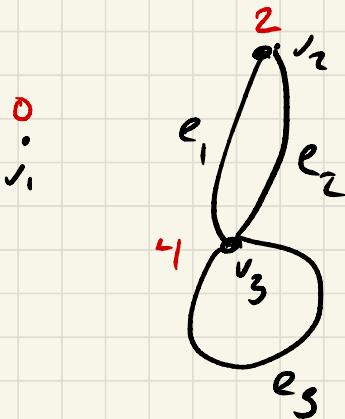




$$\deg(v) = 2$$



$$\deg(u) = 4$$





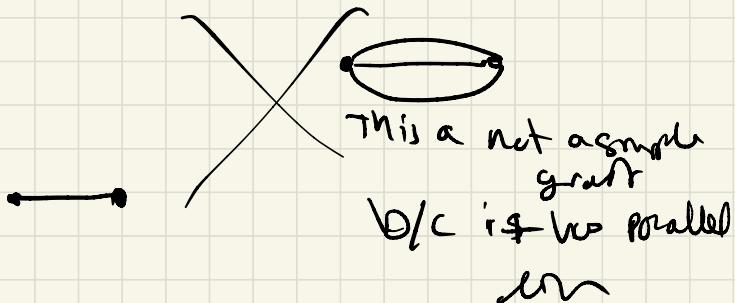
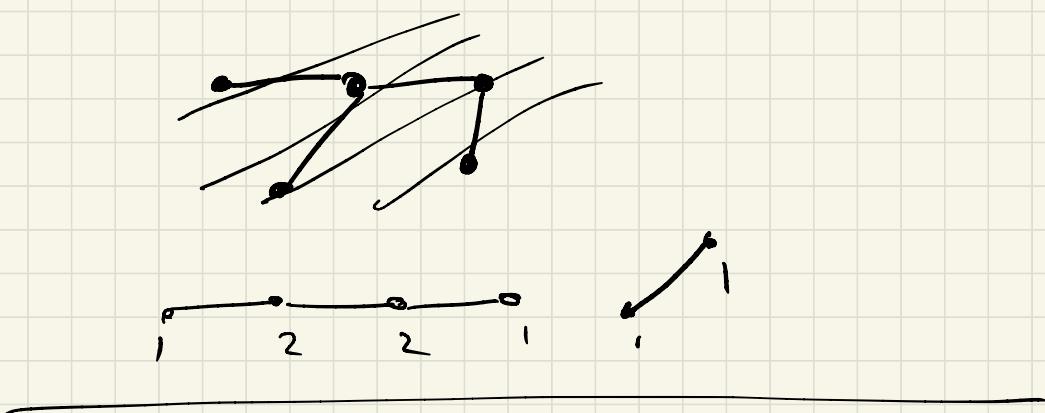
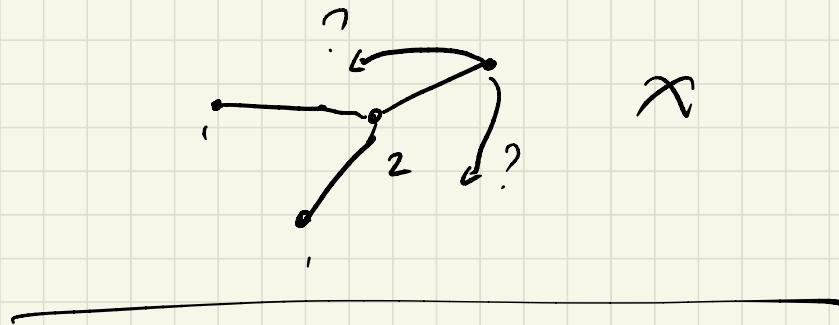
Every edge adds 2 to the total degree of the graph

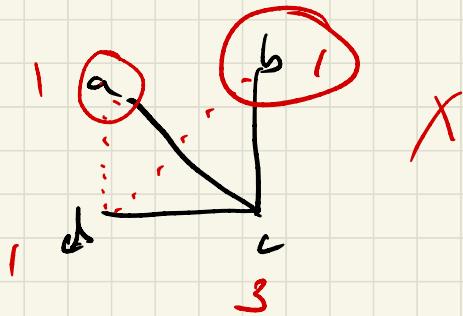
$$2 \cdot \underline{N(E)}$$

Total degree of the graph is even!

$$1+1+2+3 = 7$$

A total degree must be even

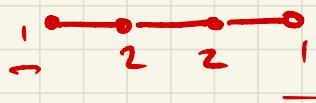




for his sum number  $\Delta b$

even degree nodes  $> 0$

odd degree nodes  $\geq 0$



$$T = O + E$$

↑      ↑      ↑

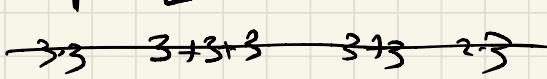
total  
sum  
odd degn

$E$  - may be  
even

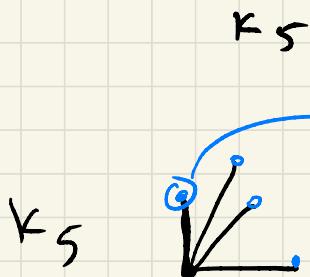
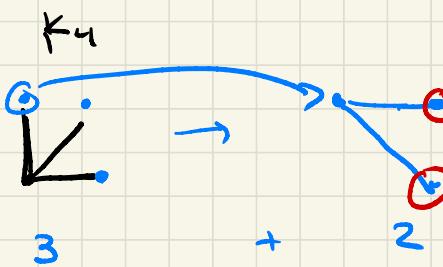
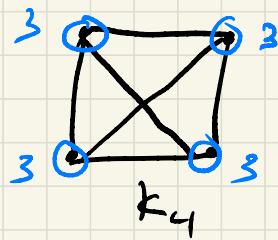
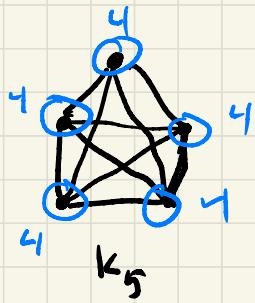
Sum even  
degree nod

$T$  - is also  
even!

$$O = T - E \Rightarrow O \text{ must be even!}$$



even number of  
odd degree nodes!



$$K_n = \sum_{i=1}^{n-1} i \text{ Arithmetic Sum!}$$

$$\sum_{i=1}^{n-1} i = \left( \sum_{i=1}^n i \right) - n$$

adds on  
extra 1

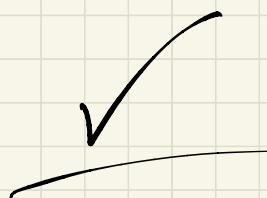
Subtracts  
it out

$$= \frac{n(n+1)}{2} - n$$

$$= \frac{n^2 + n}{2} - \frac{2n}{2}$$

$$= \frac{n^2 - n}{2}$$

$$= \frac{n(n-1)}{2}$$



$$9 \cdot 5 = 45$$

that is not odd

the graph does not exist!

